

Programming the Quadratic Formula into the TI-83/84 Name _____

For those times when a numeric approximation to the solution of a quadratic equation will suffice, using a programmable calculator to automatically compute and simplify the quadratic formula is rather convenient. Since we shall expand upon the programmable features of the TI-83/84 throughout the course this is a good starting point. ↵ = **ENTER**

COMMAND	COMMENTS
Press PRGM	Brings up the Program Menu: EXEC EDIT NEW
Select NEW ↵	Use EDIT to edit an existing program
Name = QF ↵	Names the program QF. Other names will also suffice.
:ClrHome ↵	PRGM → I/O → 8. Clears the home screen.
:a+bi ↵	MODE → a+bi. Sets the TI-83+ to Complex mode.
:Disp "SOLVES Ax ² + Bx + C = 0" ↵	PRGM → I/O → 3. Displays message on the screen.
:Prompt A,B,C ↵	PRGM → I/O → 2. Will prompt the user for A, B and C
:(B ² -4AC)→D ↵	Calculates the Discriminant
:(-B+√(D))/(2A)→P ↵	Calculates the first root
:(-B-√(D))/(2A)→Q ↵	Calculates the second root.
:Disp "ROOTS",P ▶Frac ,Q ▶Frac ↵	PRGM → I/O → 3. Displays the two roots.

Now let's run the program. Use PGRM → EXEC → Select Program ↵. Note: For these examples, MODE was preset to FLOAT accuracy.

Example 1 Solve $2x^2 = 9(x + 2)$

Rewrite in Standard Form: $2x^2 - 9x - 18 = 0$ We identify A = 2, B = -9 and C = -18 PGRM → EXEC → QF ↵	
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Note: Pressing **ENTER** at the conclusion of a program will rerun a fresh version of the program.

Example 2 Solve $x^2 + 2 = 2x$

Rewrite in Standard Form: $x^2 - 2x + 2 = 0$ We identify A = 1, B = -2 and C = 2 PGRM → EXEC → QF ↵	
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Extra Credit: Use algebra to write the equation in standard quadratic form ($ax^2 + bx + c = 0$). Then use the Quadratic Formula program to solve the equation.

1. $x^2 + x = 42$

2. $x^2 + 10 = 11x$

3. $t^2 + 8 = 4t$

4. $2x(x - 5) = 12$

5. $2x^2 + 3 = 2(x - x^2) + 10$

6. $\frac{5x}{x^2 + 1} = 2$

7. $(x + 3)(3x + 5) = 7$

8. $(x + 3)(x - 2) = 50$

9. $9x^2 = \frac{5(x + 1)}{2} + 2x$

10. $x^2 = 4x - 53$

11. $\sqrt{x + 4} = x - 2$

12. $\sqrt{x + 7} = x + 1$

13. $2 + \sqrt{2x - 1} = x$

14. $4 + \sqrt{2x^2 - 8} = 0$

15. $4x(x - 1) + 1 = 0$

16. $1 + \sqrt{x^2 - 2x + 1} = x$